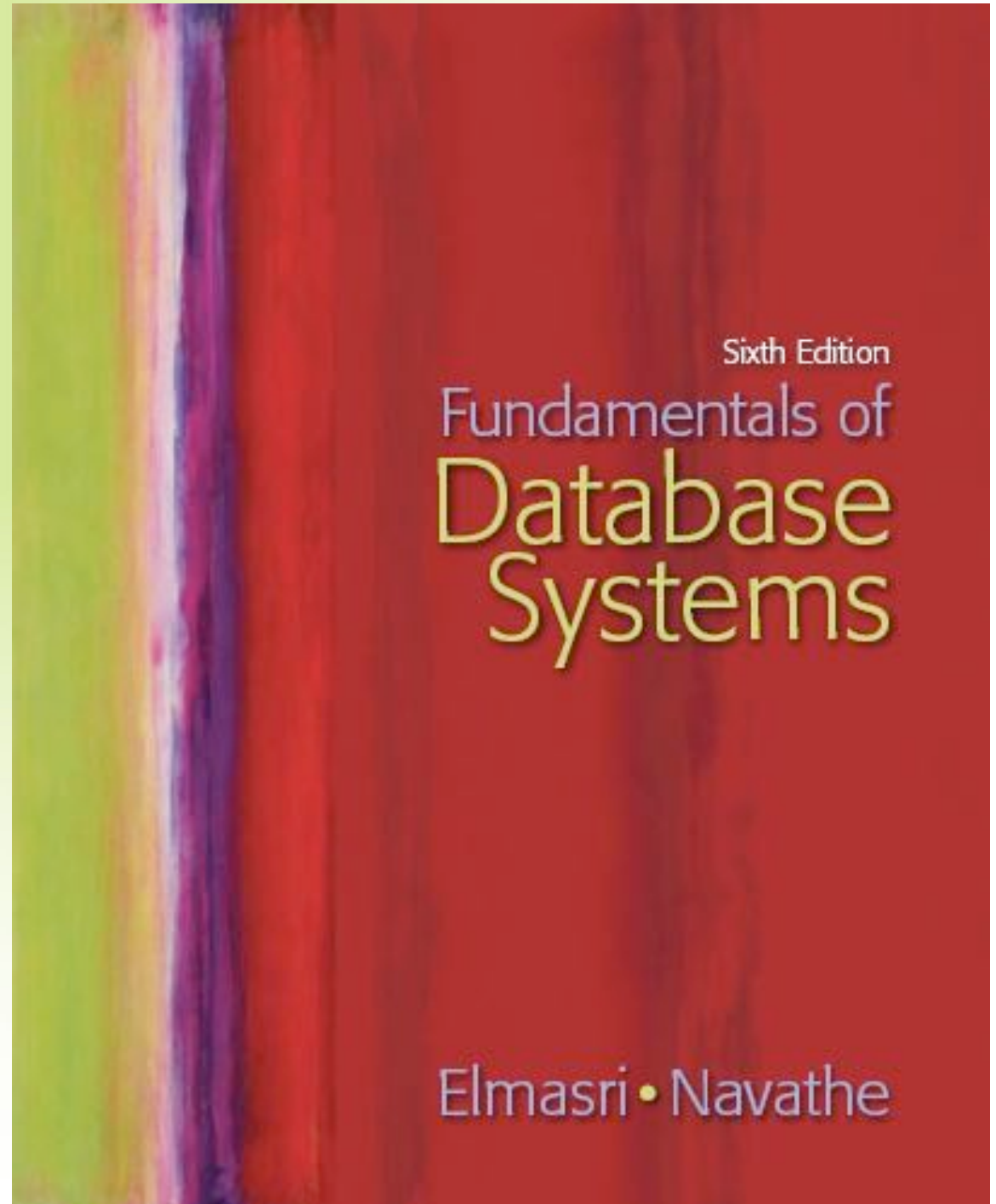


# Chapter 18

## Indexing Structures for Files



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- Adapté et annoté par Luc Lavoie

# Indexes as Access Paths

- A single-level index is an auxiliary file that makes it more efficient to search for a record in the data file.
- The index is usually specified on one field of the file (although it could be specified on several fields).
- One form of an index is a file of entries **<field value, pointer to record>**, which is ordered by field value
- The index is called an access path on the field.

# Indexes as Access Paths (cont.)

- The index file usually occupies considerably less disk blocks than the data file because its entries are much smaller.
- A binary search on the index yields a pointer to the file record (or file block containing the record).
- Indexes can also be characterized as dense or sparse.
  - A **dense index** has an index entry for every search key value (and hence every record) in the data file.
  - A **sparse (or nondense) index**, on the other hand, has index entries for only some of the search values

# Indexes as Access Paths (cont.)

- Example: Given the following data file

EMPLOYEE (NAME, SSN, ADDRESS, JOB, SAL, ... )

- Suppose that:
  - record size  $R = 150$  bytes;
  - block size  $B = 512$  bytes;
  - number of records  $r = 30\,000$  records.
- Then, we get:
  - blocking factor  $Bfr$ 
    - =  $B \text{ div } R$
    - =  $512 \text{ div } 150$
    - = 3 records/block
  - number of file blocks  $b$ 
    - = ceiling  $(r/Bfr)$
    - = ceiling  $(30\,000 / 3)$
    - = 10 000 blocks

# Indexes as Access Paths (cont.)

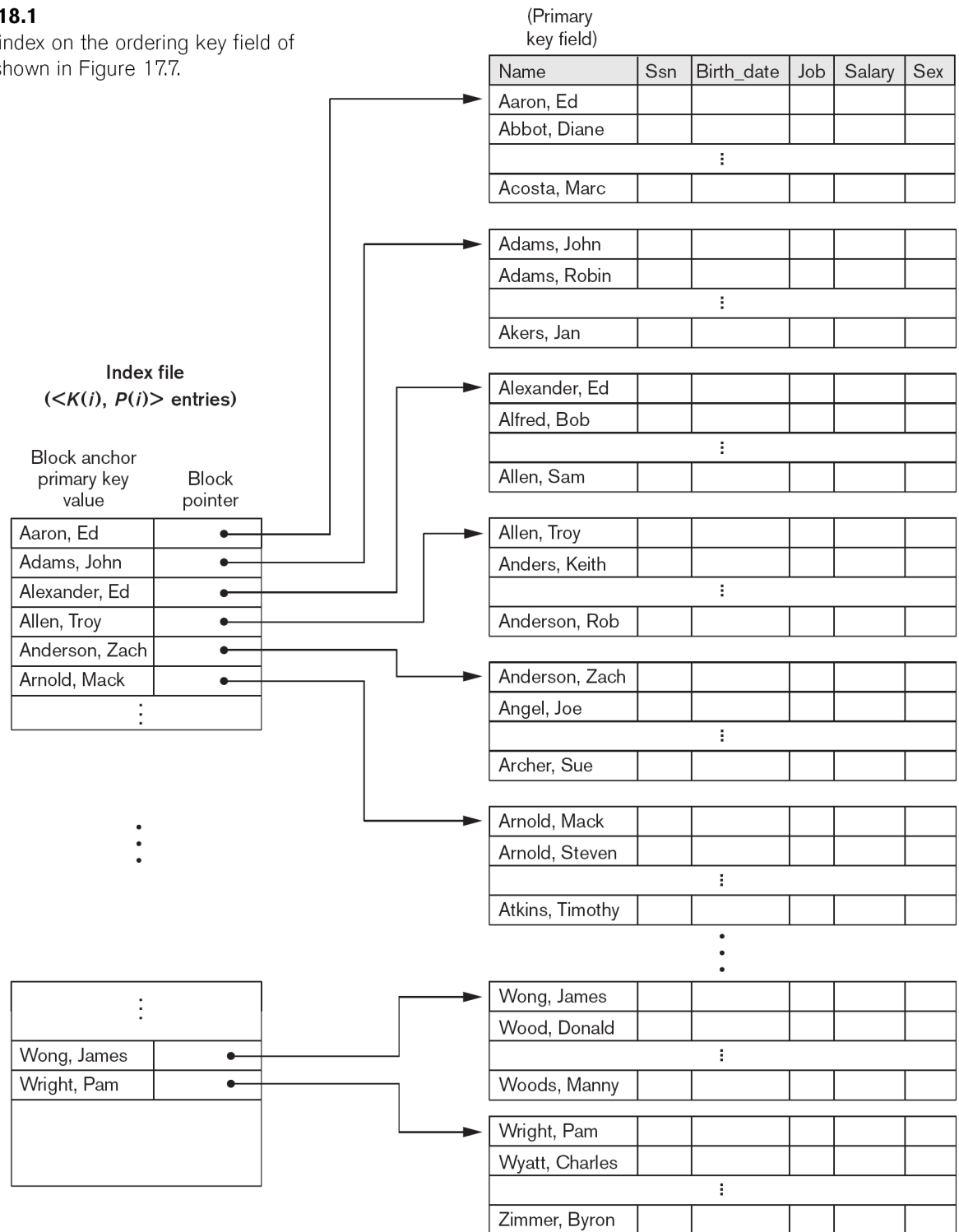
- For an index on the SSN field, assume
  - field size  $V_{SSN} = 9$  bytes,
  - record pointer size  $P_R = 7$  bytes.
- Then:
  - index entry size  $R_i$   
 $= (V_{SSN} + P_R) = (9+7) = 16$  bytes,
  - index blocking factor  $Bfr_i$   
 $= B \text{ div } R_i = 512 \text{ div } 16 = 32$  entries/block,
  - number of index blocks  $b$   
 $= (r / Bfr_i) = \text{ceiling}(30000/32) = 938$  blocks,
  - binary search needs  $\log_2 b$   
 $= \log_2 938 = 10$  block accesses.
- This is compared to an average linear search cost of:
  - $(b/2) = 30000/2 = 15000$  block accesses.
- or, if the file records are ordered, a binary search cost of:
  - $\log_2 b = \log_2 30000 = 15$  block accesses.

# Types of Single-Level Indexes

- **Primary Index**
  - Defined on an ***ordered data file***.
  - The data file is ordered on a **key field**.
  - Includes one index entry *for each block* in the data file; the index entry has the key field value for the *first record* in the block, which is called the *block anchor*.
  - A similar scheme can use the *last record* in a block.
  - A primary index is a nondense (sparse) index, since it includes an entry for each disk block of the data file and the keys of its anchor record rather than for every search value.

# Primary Index on the Ordering Key Field

**Figure 18.1**  
Primary index on the ordering key field of the file shown in Figure 17.7.





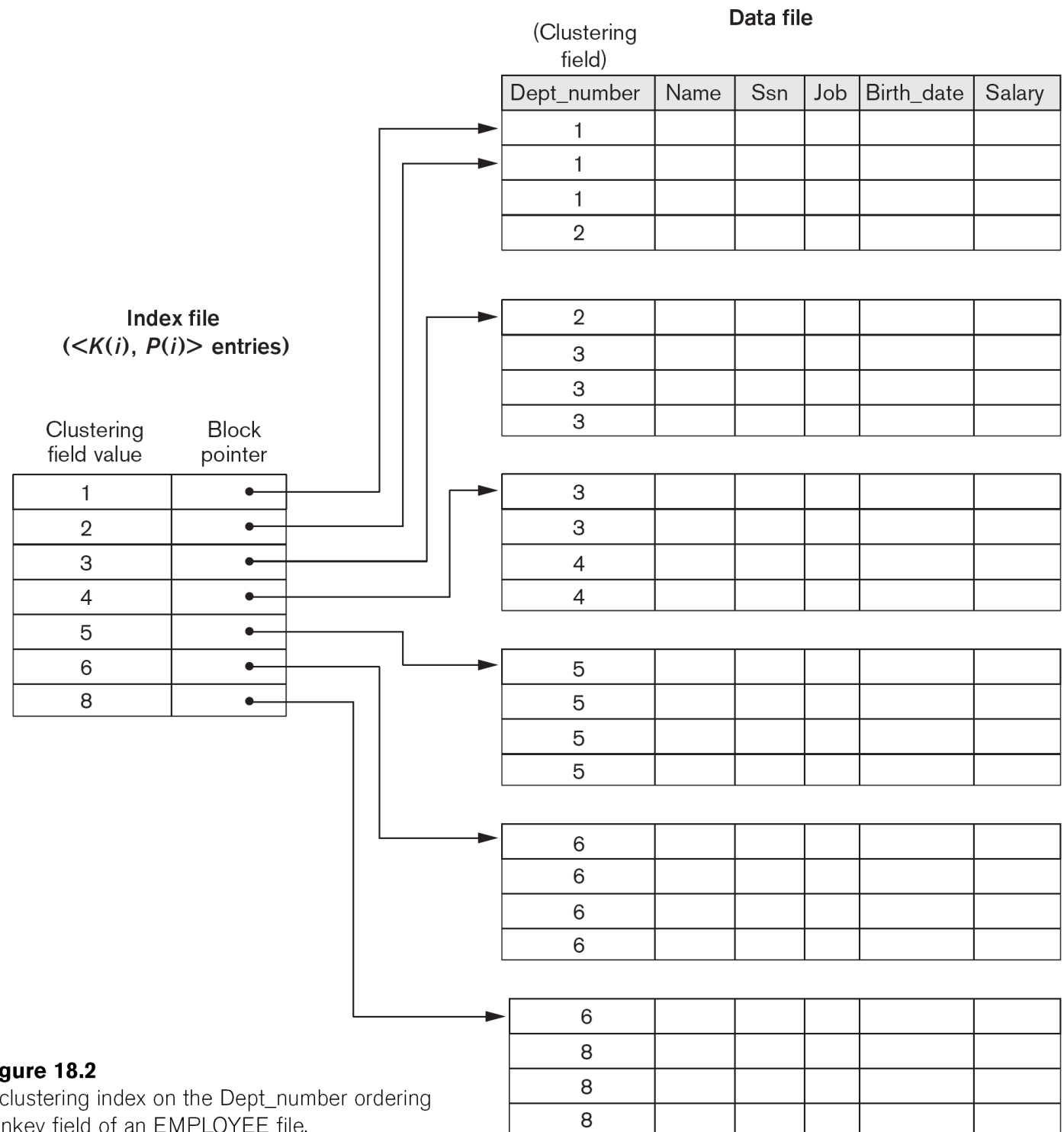
# Types of Single-Level Indexes

## ■ Clustering Index

- Defined on an ***ordered data file***.
- The data file is ordered on a *non-key field* unlike primary index, which requires that the ordering field of the data file have a distinct value for each record.
- Includes one index entry *for each distinct value* of the field; the index entry points to the first data block that contains records with that field value.
- It is another example of *nondense* index where Insertion and Deletion is relatively straightforward with a clustering index.

*Hum, revoyons voir la définition de dense et non dense*

# A Clustering Index Example

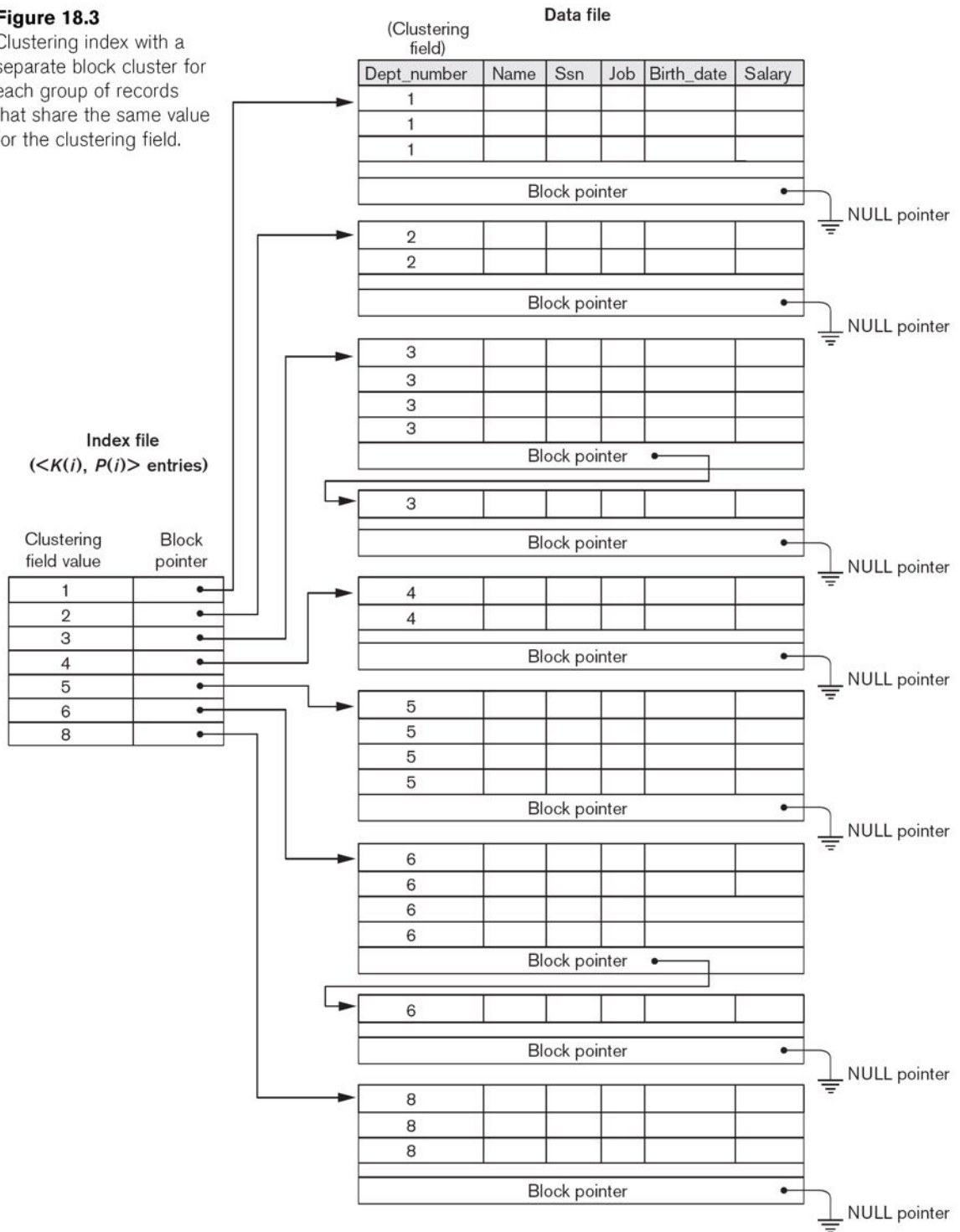


**Figure 18.2**

A clustering index on the Dept\_number ordering nonkey field of an EMPLOYEE file.

# Another Clustering Index Example

**Figure 18.3**  
Clustering index with a separate block cluster for each group of records that share the same value for the clustering field.



# Types of Single-Level Indexes

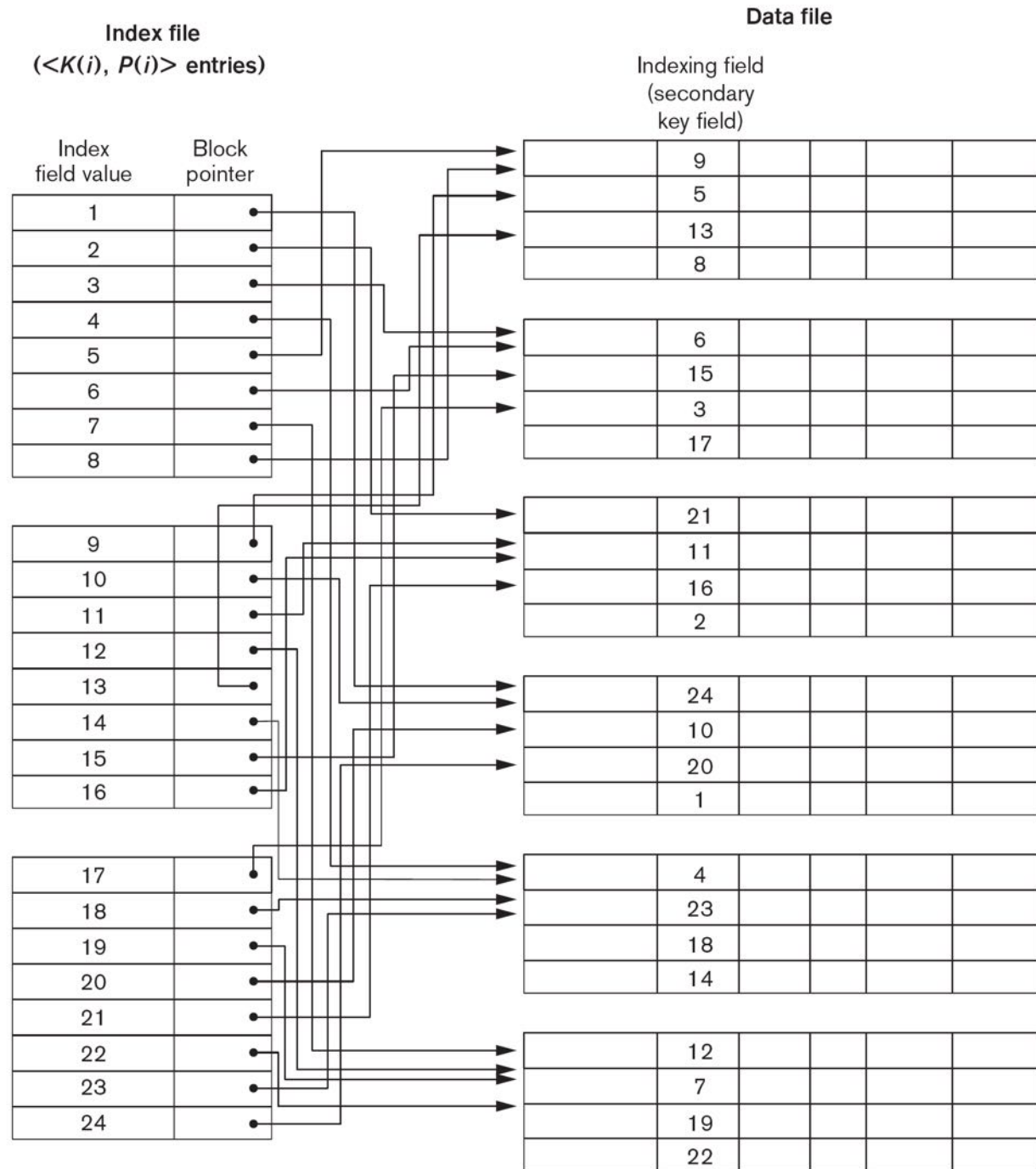
## ■ Secondary Index

- A secondary index provides a secondary means of accessing a file for which some primary access already exists.
- The secondary index may be on a field which is a candidate key and has a unique value in every record, or a non-key with duplicate values.
- The index is an ordered file with two fields.
  - The first field is of the same data type as some ***non-ordering field of the data file*** that is an indexing field.
  - The second field is either a **block** pointer or a record pointer.
  - There can be *many* secondary indexes (and hence, indexing fields) for the same file.
- Includes one entry *for each record* in the data file; hence, it is a *dense index*.

# Example of a Dense Secondary Index

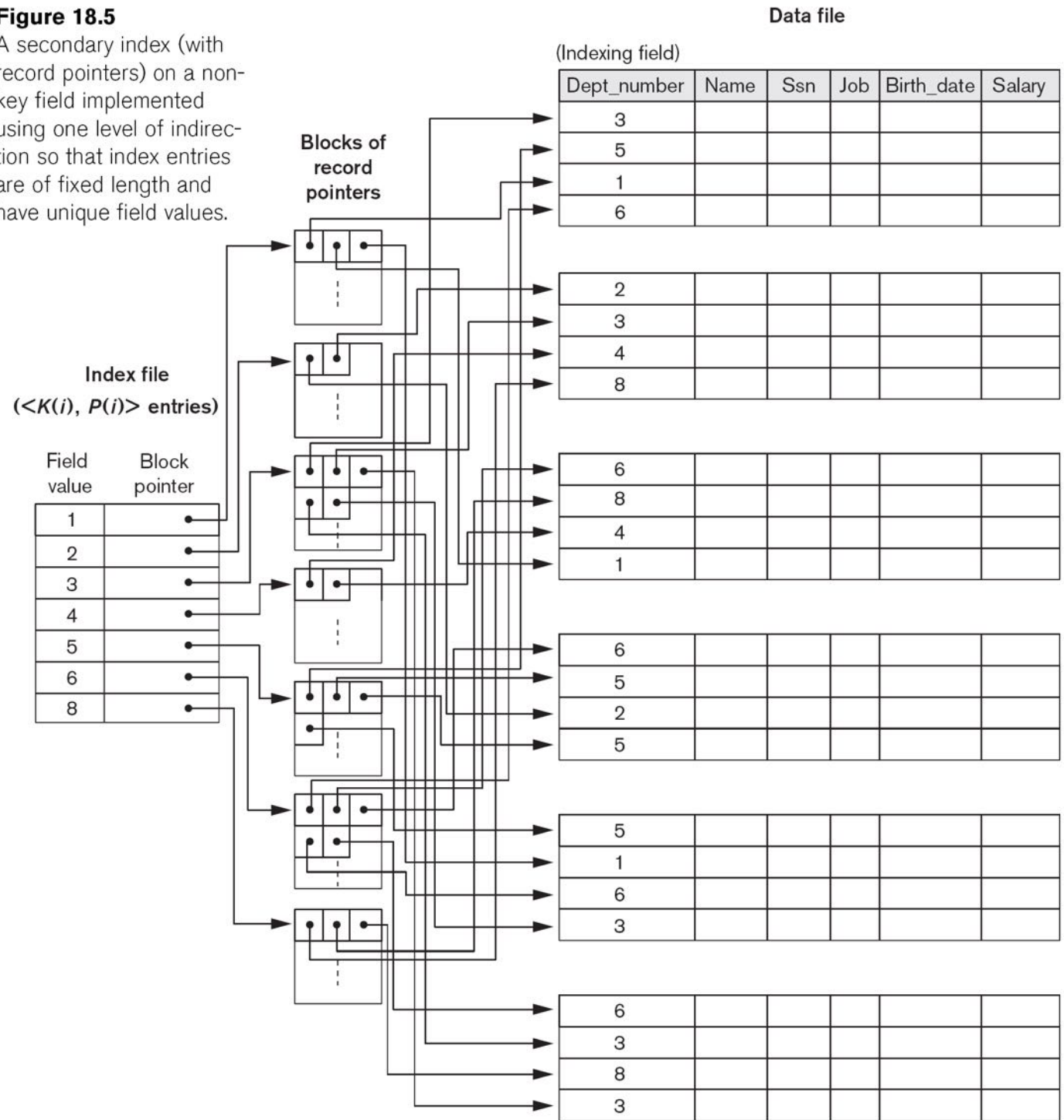
**Figure 18.4**

A dense secondary index (with block pointers) on a nonordering key field of a file.



# Example of a Secondary Index

**Figure 18.5**  
A secondary index (with record pointers) on a non-key field implemented using one level of indirection so that index entries are of fixed length and have unique field values.



# Properties of Index Types

**Table 18.2** Properties of Index Types

Type of Index	Number of (First-level) Index Entries	Dense or Nondense (Sparse)	Block Anchoring on the Data File
Primary	Number of blocks in data file	Nondense	Yes
Clustering	Number of distinct index field values	Nondense	Yes/no <sup>a</sup>
Secondary (key)	Number of records in data file	Dense	No
Secondary (nonkey)	Number of records <sup>b</sup> or number of distinct index field values <sup>c</sup>	Dense or Nondense	No

# Multi-Level Indexes

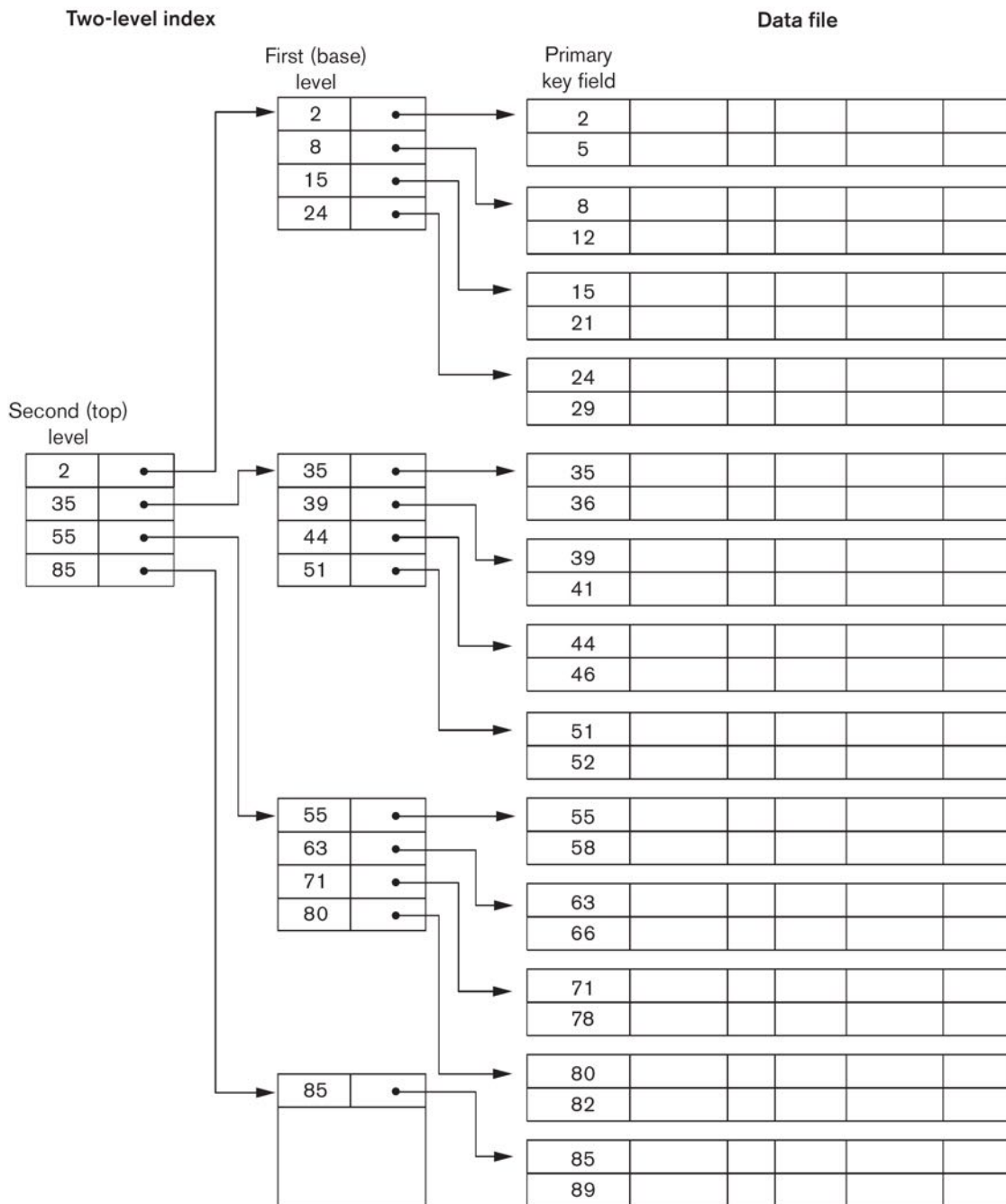
- Because a single-level index is an ordered file, we can create a primary index *to the index itself*.
  - In this case, the original index file is called the *first-level index* and the index to the index is called the *second-level index*.
- We can repeat the process, creating a third, fourth, ..., top level until all entries of the *top level* fit in one disk block.
- A multi-level index can be created for any type of first-level index (primary, secondary, clustering) as long as the first-level index consists of *more than one* disk block.



# A Two-Level Primary Index

**Figure 18.6**

A two-level primary index resembling ISAM (Indexed Sequential Access Method) organization.



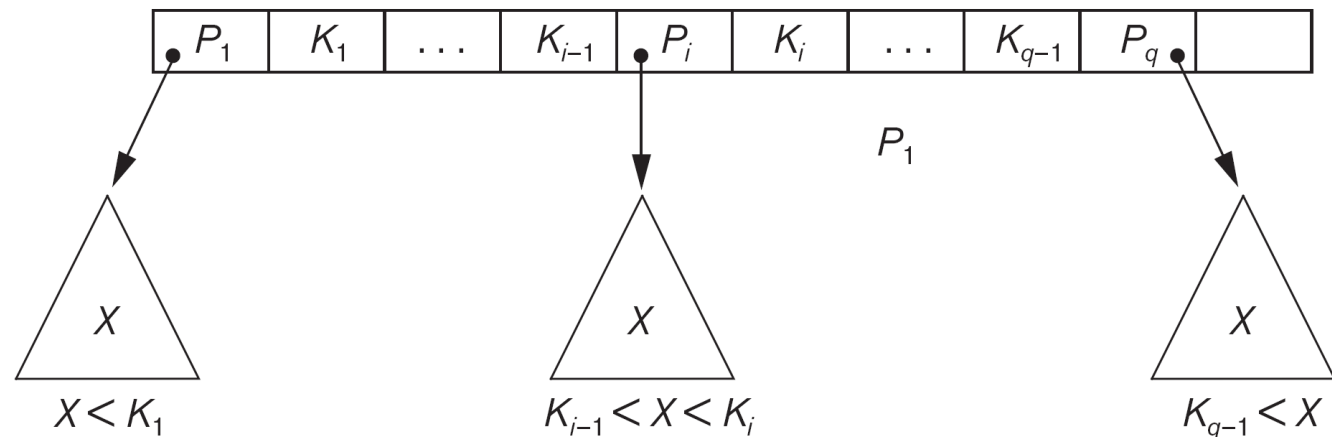
# Multi-Level Indexes

- Such a multi-level index is a form of *search tree*
  - However, insertion and deletion of new index entries is a severe problem because every level of the index is an *ordered file*.

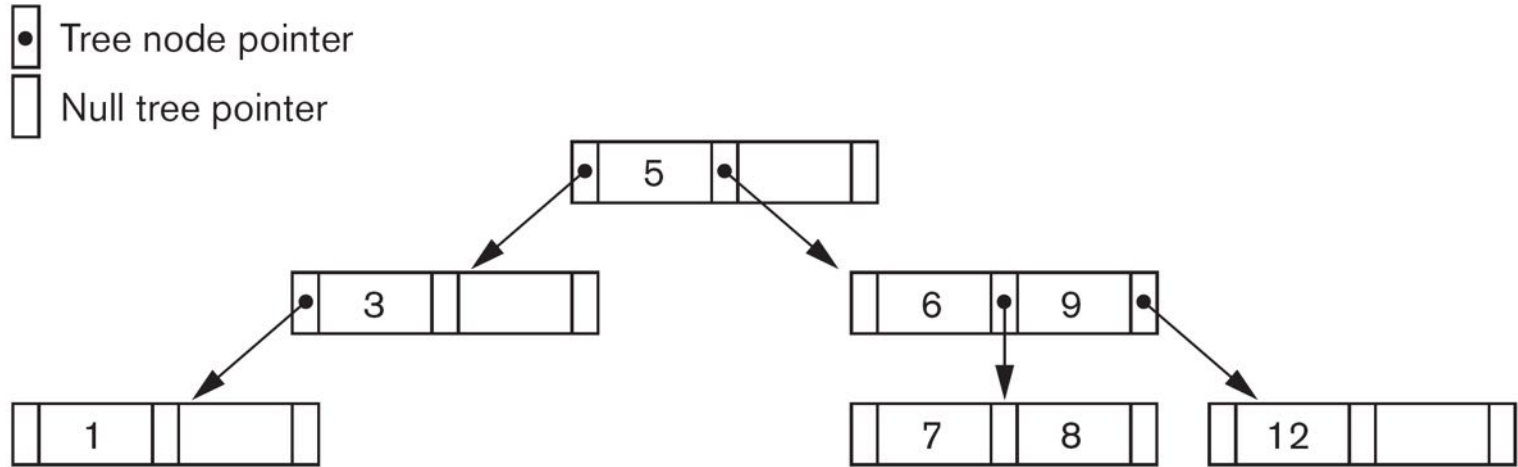
# A Node in a Search Tree with Pointers to Subtrees Below It

**Figure 18.8**

A node in a search tree with pointers to subtrees below it.



**Figure 18.9**  
A search tree of  
order  $p = 3$ .



# Dynamic Multilevel Indexes Using B-Trees and B+-Trees

- Most multi-level indexes use B-tree or B+-tree data structures because of the insertion and deletion problem
  - This leaves space in each tree node (disk block) to allow for new index entries
- These data structures are variations of search trees that allow efficient insertion and deletion of new search values.
- In B-Tree and B+-Tree data structures, each node corresponds to a disk block
- Each node is kept between half-full and completely full

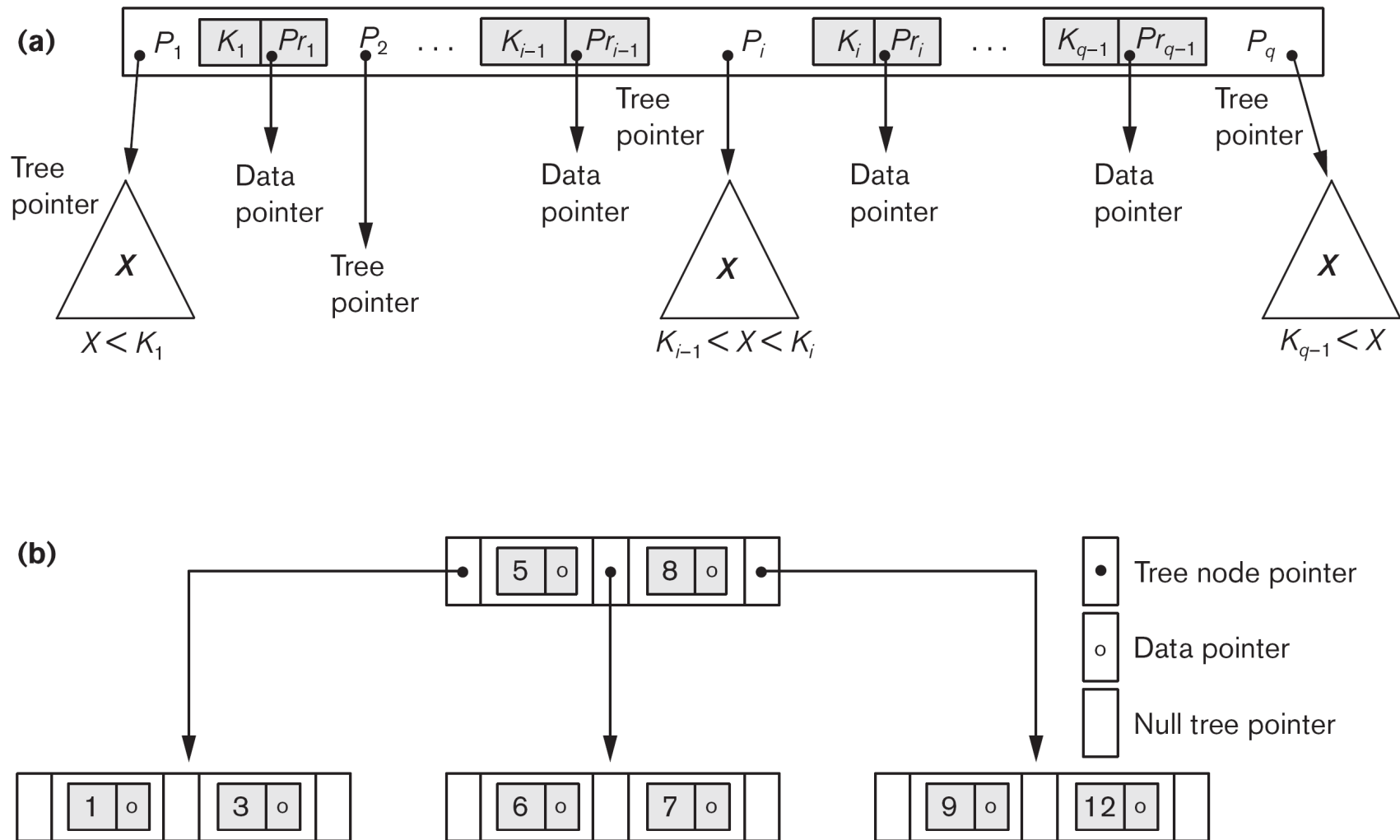
# Dynamic Multilevel Indexes Using B-Trees and B+-Trees (cont.)

- An insertion into a node that is not full is quite efficient
  - If a node is full the insertion causes a split into two nodes
- Splitting may propagate to other tree levels
- A deletion is quite efficient if a node does not become less than half full
- If a deletion causes a node to become less than half full, it must be merged with neighboring nodes

# Difference between B-tree and B+-tree

- In a B-tree, pointers to data records exist at all levels of the tree
- In a B+-tree, all pointers to data records exists at the leaf-level nodes
- A B+-tree can have less levels (or higher capacity of search values) than the corresponding B-tree

# B-tree Structures



**Figure 18.10**

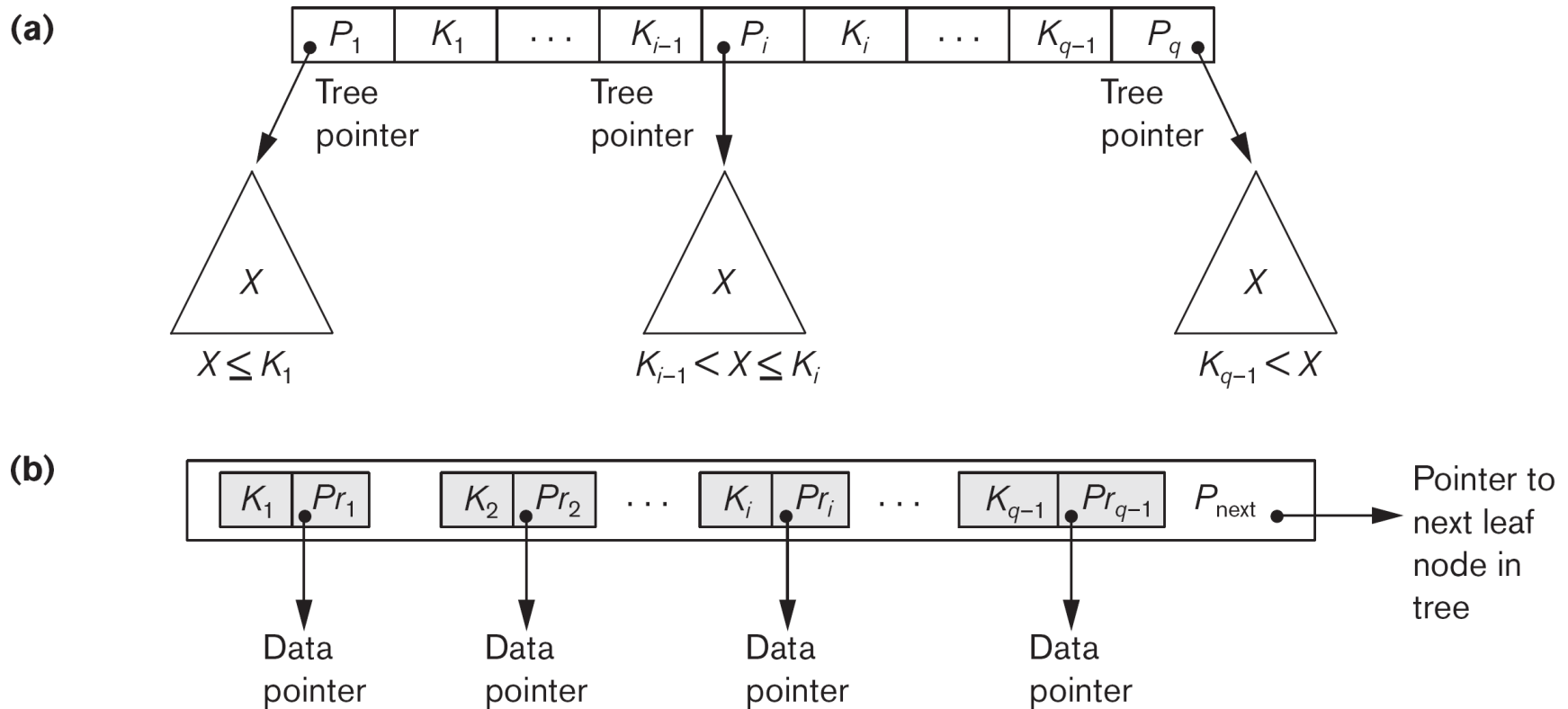
B-tree structures. (a) A node in a B-tree with  $q - 1$  search values. (b) A B-tree of order  $p = 3$ . The values were inserted in the order 8, 5, 1, 7, 3, 12, 9, 6.



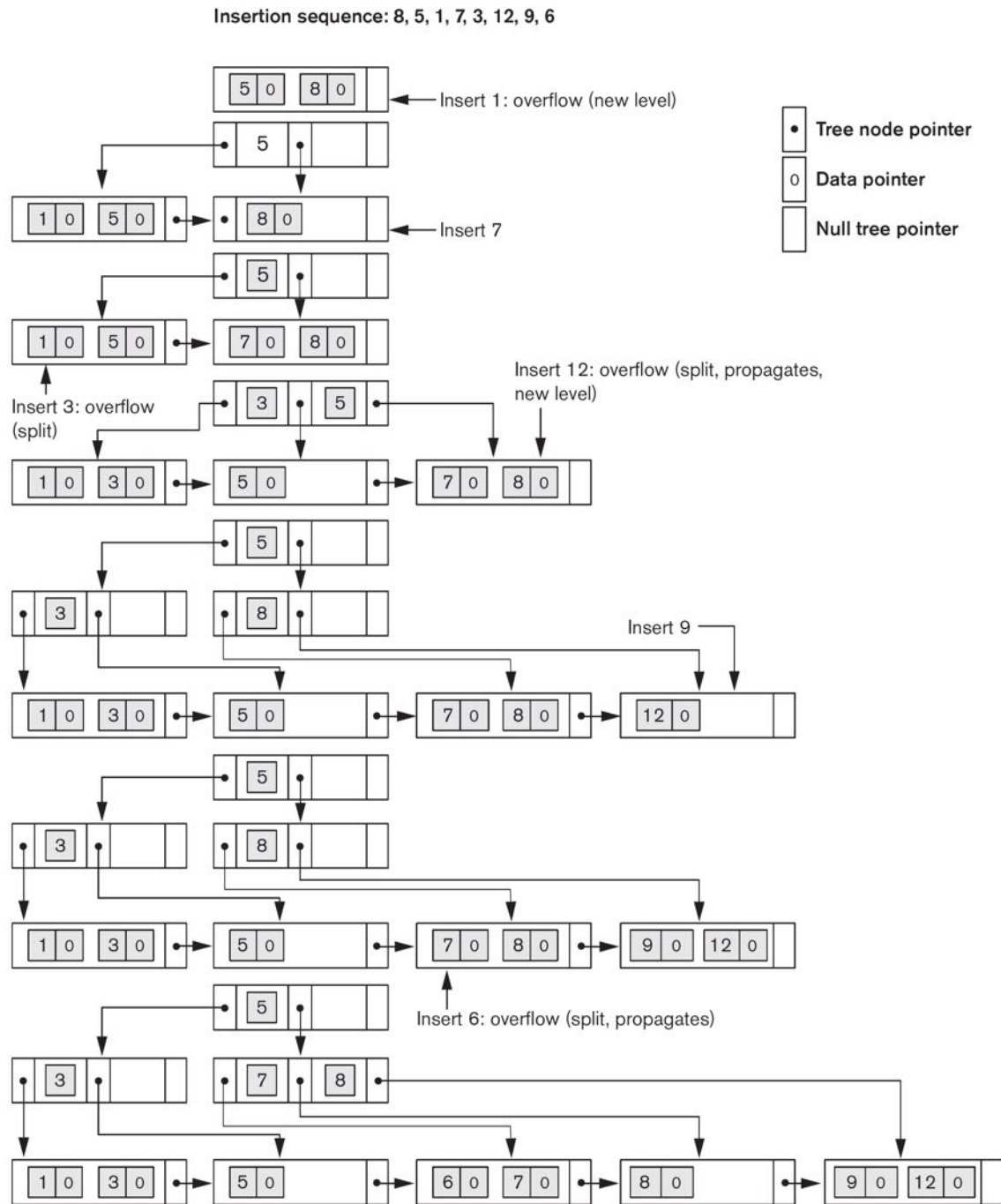
# The Nodes of a B+-tree

**Figure 18.11**

The nodes of a B<sup>+</sup>-tree. (a) Internal node of a B<sup>+</sup>-tree with  $q - 1$  search values.  
(b) Leaf node of a B<sup>+</sup>-tree with  $q - 1$  search values and  $q - 1$  data pointers.



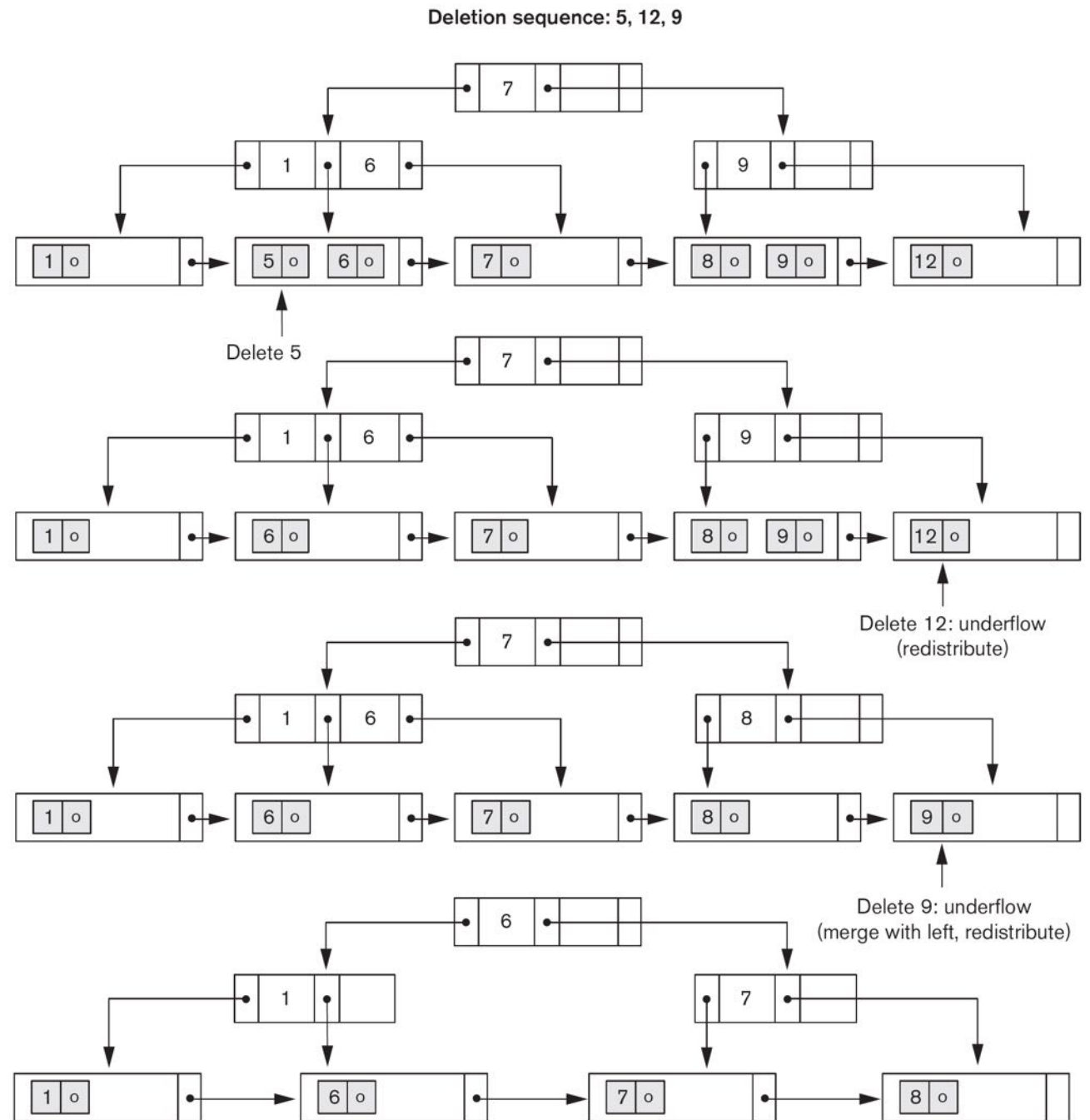
# Example of an Insertion in a B+-tree



**Figure 18.12**

An example of insertion in a B+-tree with  $p = 3$  and  $p_{leaf} = 2$ .

# Example of a Deletion in a B+-tree



**Figure 18.13**  
An example of deletion from a B<sup>+</sup>-tree.

# Summary

- Types of Single-level Ordered Indexes
  - Primary Indexes
  - Clustering Indexes
  - Secondary Indexes
- Multilevel Indexes
- Dynamic Multilevel Indexes Using B-Trees and B+-Trees
- Indexes on Multiple Keys

# Facteurs à considérer dans la construction du schéma physique

## ■ Requêtes (et transactions)

- attributs de jointure (clés référentielles, clés candidates, autres)
- attributs de comparaison (égalité, ordonnancement, intervalles)
- type (consultation, insertion, retrait, modification)
- exigence de performance
- fréquence d'utilisation

## ■ Index

- encombrement
- nombre d'opérations requises par type de fonction

# Facteurs de mise en oeuvre d'un schéma physique

- Établissement de critères quantifiés
- Automatisation de la mise en oeuvre
- Mise à jour permanente des facteurs de décision
- Établissement d'intervalle de stabilité

# Les colles du prof!

- Tout au long de cette présentation, on s'est fondée sur des hypothèses implicites – lesquelles ?
- Sont-elles encore toutes d'actualité ?
- L'élimination des contraintes découlant des hypothèses caduques change-t-elle les choix privilégiés pour la représentation et l'indexation des relations ?